

Q 9	Find Laplace transform of $f(t)=t^2 e^{-2t} \cos t$.	10	CO6
SECTION C			
Q 10 A	Determine the poles and residues at each pole of the function $f(z)=\frac{z^2-2z}{(z+1)^2(z^2+4)}$ and hence evaluate $\int_C f(z)dz$ where C is the circle $ z =10$.	10	CO4
Q 10 B	Using complex integration, prove that $\int_{-\infty}^{\infty} \frac{dx}{(1+x^2)^2} = \frac{\pi}{2}$	10	CO5
Q 11 A	Change the order of integration in $\int_0^a \int_y^a \frac{x}{x^2+y^2} dx dy$ and hence evaluate the same.	10	CO1
OR			
Q 11 A	Evaluate the following by changing into polar coordinates: $\int_0^a \int_0^{\sqrt{a^2-y^2}} y^2 \sqrt{x^2+y^2} dx dy$	10	CO1
Q 11 B	Find the inverse Laplace transform of $\frac{3s+7}{s^2-2s-3}$.	10	CO6
OR			
Q 11 B	Apply Convolution theorem to evaluate $L^{-1}\left(\frac{s^2}{(s^2+a^2)(s^2+b^2)}\right)$.	10	CO6

Q 9	Find Laplace transform of $f(t) = \int_0^t \frac{e^t \sin t}{t} dt$	10	CO6
SECTION C			
Q 10 A	Determine the poles and residues at each pole of the function $f(z) = \frac{z-1}{(z+1)^2(z-2)}$ and hence evaluate $\int_C f(z) dz$ where C is the circle $ z-i =2$.	10	CO4
Q 10 B	Apply calculus of residues to prove that $\int_0^\infty \frac{dx}{(a^2+x^2)^2} = \frac{\pi}{4a^3}; a>0$.	10	CO5
Q 11 A	Evaluate $\int_0^\infty \int_x^\infty \frac{e^{-y}}{y} dy dx$ by changing the order of integration.	10	CO1
OR			
Q 11 A	Find the area lying between the parabola $y=4x-x^2$ and the line $y=x$.	10	CO1
Q 11 B	Find the inverse Laplace transform of $\frac{2s^2-6s+5}{s^3-6s^2+11s-6}$.	10	CO6
OR			
Q 11 B	Apply Convolution theorem to evaluate $L^{-1}\left(\frac{1}{s(s+1)(s+2)}\right)$.	10	CO6