

- b. Change in X due to unit change in Y d. Change in u due to unit change in Y
- XIX. The regression line passes through_____.
- a. the population means of *Y and X* c. the sample variance of *Y and X*
- b. the sample means of *Y and X* d. the population variance of *Y and X*
- XX. Dropping any relevant variable(s) from regression model leads to_____.
- a. specification bias c. systematic bias
- b. random bias d. Bias

Section B

Attempt any four questions

4X5 = 20

Q2. The VIF of regression considering oil consumption (OC) as dependent variable is given below. Analysis both VIF and TOL and discuss about presence of multicollinearity in the model.

variable	VIF	1/VIF
om	255.75	0.003910
op	101.03	0.009898
pgdp	60.08	0.016643
co2	47.68	0.020972
ox	23.66	0.042272
or	18.24	0.054812
cop	3.75	0.266887
Mean VIF	72.88	

Q3. State positive or negative relationship between OC and independent variables.

Sl.No.	OC	β Coeff.	Calculated t-Value	Critical t-Value (at 5%)	State positive or negative relationship between OC and independent variables
1	OE	0.018	-2.30	1.697	
2	RT	-0.030	4.70	1.697	
3	P	-0.070	2.56	1.697	
4	OP	-0.862	6.65	1.697	
5	PR	0.073	-1.33	1.697	

6	Const.	55.40	-4.44	1.697	
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Q4. Formulate one energy consumption function, write down its functional form and econometric specification for the following variables:

C : amount of energy consumed per annum

Y : GDP of a given country

FDI : FDI inflow for a given country

Q5. Consider the following regression output:

$$\hat{Y}_i = 0.3133 - 0.4563X_i$$

$$se = (0.0976) \quad (0.1961)$$

$$P = (0.005) \quad (0.003)$$

$$RSS = 0.0544 \quad ESS = 0.0358 \quad r^2 = 0.397$$

Where, Y = Household Electricity Consumption in rural area (in KW)

X = Electricity tariff (in Rupees)

The regression results were obtained from a sample of 19 households.

- How do you interpret this regression?
- Test the hypothesis that $H_0: \beta_2 = 0$ against $H_1: \beta_2 \neq 0$. Which test do you use? And why?

Q6. The ANOVA table of one regression result is given below.

The critical value of $F(1, 16) = 2.4904$ and $\alpha = 5\%$.

Source	SS	Df	MSS
Model	326765512	1	
Residual	167697811	16	
Total	494463323	17	

Compute (i) Mean sum of squares, (ii) F and (iii) state the overall significance of the model.

Section C

Answer any two questions

2 X 15 = 30

Q7. In the following multiple regression result, Carbon Emission (co2) is estimated using factors such as oil consumption (oc), per capita GDP (pgdp), import of goods and services (om), and export of goods and services (ox).

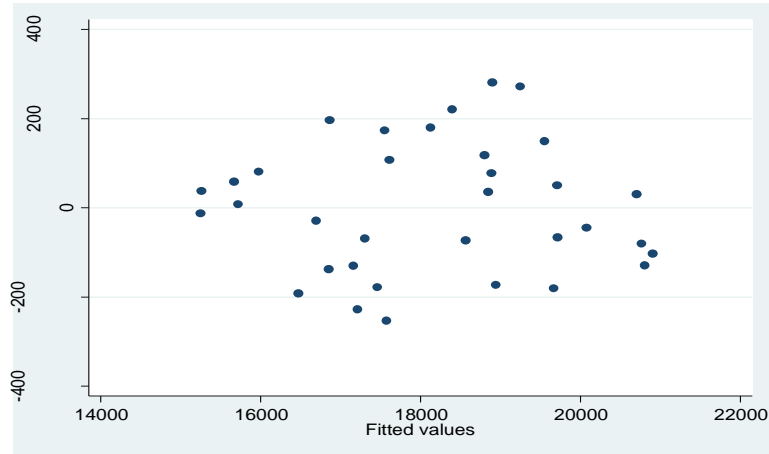
Source	SS	df	MS			
Model	1020938.61	4	255234.652	Number of obs =	34	
Residual	21585.3769	29	744.323342	F(4, 29) =	342.91	
				Prob > F =	0.0000	
				R-squared =	0.9793	
				Adj R-squared =	0.9764	
Total	1042523.99	33	31591.6359	Root MSE =	27.282	

co2	Coef.	Std. Err.	t	P> t	[95% Conf. Interval]	
oc	.1308342	.0144843	9.03	0.000	.1012106	.1604579
pgdp	-.0136371	.0045878	-2.97	0.006	-.0230202	-.0042539
om	.014613	.0102785	1.42	0.166	-.0064089	.0356349
ox	-.0092261	.0176469	-0.52	0.605	-.0453181	.0268659
_cons	294.4371	170.1929	1.73	0.094	-53.64647	642.5206

Using individual and joint hypothesis testing find out relationship between co2 and its determinants.

Q8. Detect problems of heteroscedasticity for a regression model, where oil consumption (oc) is estimated. The post estimation results are given below. Critically analyze and interpret the results.

- i. Graphical Method



ii. Breusch-Pagan/ Cook-Weisberg test

Breusch-Pagan / Cook-Weisberg test for heteroskedasticity

Ho: Constant variance

Variables: fitted values of oc

chi2(1) = 0.05

Prob > chi2 = 0.8280

iii. Park Test: Park suggests that σ^2_i is some function of the explanatory variable X_i . The functional form he suggested was

$$\sigma^2_i = \sigma^2 X_i^\beta e^{v_i}$$

Using this functional form suggest how to detect heteroscedasticity.

Q9. The multiple regression and its post estimation results are given below. Interpret the post estimation results and justify whether multicollinearity is present in the model or not.

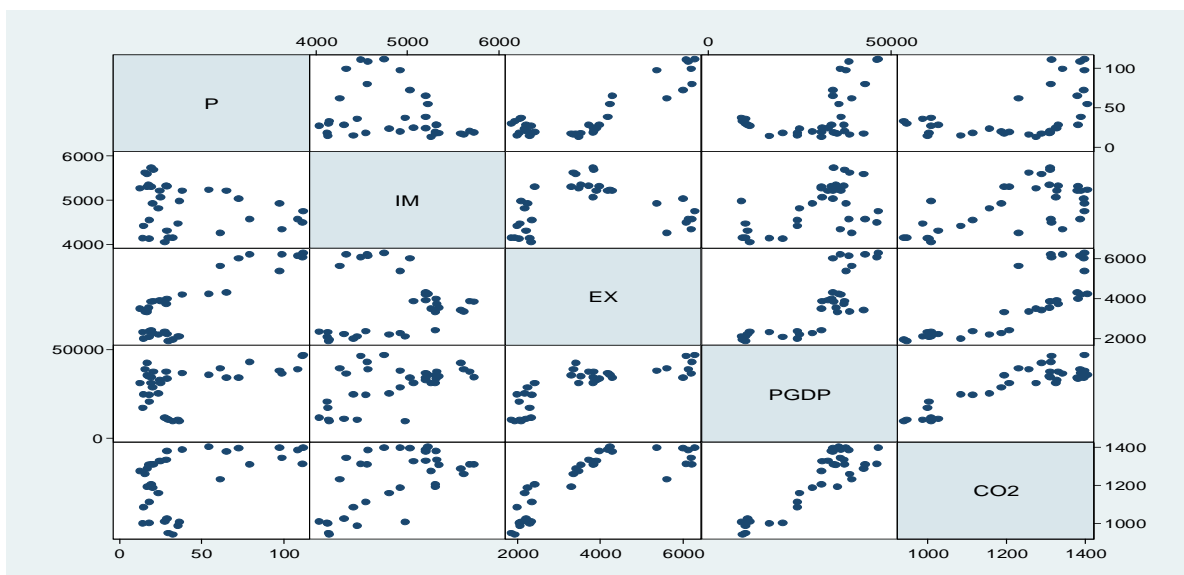
Multiple Regression Results

Source	SS	df	MS	Number of obs = 35		
Model	7938423.38	5	1587684.68	F(5, 29) =	371.34	
Residual	123989.991	29	4275.51694	Prob > F =	0.0000	
				R-squared =	0.9846	
				Adj R-squared =	0.9820	
Total	8062413.37	34	237129.805	Root MSE =	65.387	

oc	Coef.	Std. Err.	t	P> t	[95% Conf. Interval]	
p	-3.834641	.8662552	-4.43	0.000	-5.606331	-2.06295
im	.6252913	.0466814	13.39	0.000	.5298171	.7207655
ex	-.1236515	.0271815	-4.55	0.000	-.1792438	-.0680591
pgdp	.0050046	.0024767	2.02	0.053	-.000061	.0100701
co2	1.122187	.2407524	4.66	0.000	.6297929	1.614581
_cons	1068.624	161.3615	6.62	0.000	738.6027	1398.645

Post Estimation Tests

(i) Scatter Plot Matrix



(ii) Correlation Matrix

	oc	p	im	ex	pgdp	co2
oc	1.0000					
p	-0.5050	1.0000				
im	0.9419	-0.2473	1.0000			
ex	-0.1272	0.8305	0.1329	1.0000		
pgdp	0.3637	0.4548	0.5306	0.7883	1.0000	
co2	0.4391	0.4728	0.6168	0.7948	0.8907	1.0000

(iii) Variance Inflation Factor (VIF) and Tolerance(TOL)

Variable	VIF	1/VIF
ex	13.06	0.076584
co2	10.80	0.092562
pgdp	6.05	0.165358
p	5.92	0.168914
im	4.48	0.223424
Mean VIF	8.06	

Section D

Answer all questions

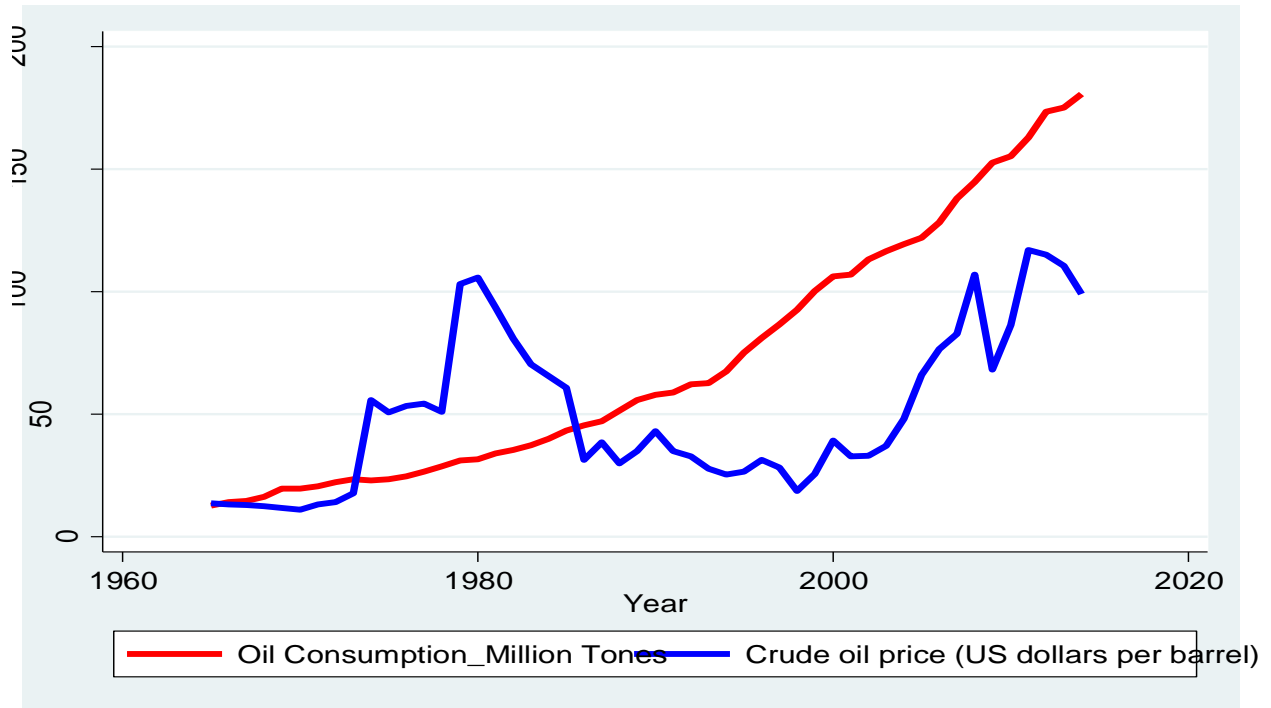
1 X 30 = 30

Q10. Results of summery statistics and stationarity of oil consumption (oc) are given below along with some result of crude oil production (cop). Write the name of model specification in each case, analyze critically and test the stationarity of the series.

i. Summery statistics

sum OC COP					
variable	Obs	Mean	Std. Dev.	Min	Max
OC	50	71.622	51.25576	12.6	180.7
COP	50	50.178	32.00747	10.97	117.09

ii. Graphical Method



iii. The Unit Root Test

$$Y_t = \rho Y_{t-1} + u_t \quad -1 \leq \rho \leq 1$$

regress OC L1.OC, noconstant						
Source	SS	df	MS			
Model	384839.413	1	384839.413	Number of obs =	49	
Residual	217.880685	48	4.53918094	F(1, 48) =	84781.69	
Total	385057.293	49	7858.31211	Prob > F =	0.0000	
				R-squared =	0.9994	
				Adj R-squared =	0.9994	
				Root MSE =	2.1305	
OC	Coef.	Std. Err.	t	P> t	[95% Conf. Interval]	
OC L1.	1.044771	.0035881	291.17	0.000	1.037556	1.051985

$$\Delta Y_t = \delta Y_{t-1} + u_t$$

reg d1.OC L1.OC						
Source	SS	df	MS			
Model	145.529143	1	145.529143	Number of obs =	49	
Residual	202.355083	47	4.30542729	F(1, 47) =	33.80	
Total	347.884226	48	7.24758803	Prob > F =	0.0000	
				R-squared =	0.4183	
				Adj R-squared =	0.4060	
				Root MSE =	2.075	

D.OC	Coef.	Std. Err.	t	P> t	[95% Conf. Interval]	
OC L1.	.0353301	.0060768	5.81	0.000	.0231051	.0475551
_cons	.9788471	.5154645	1.90	0.064	-.0581337	2.015828

iv. DF Test

TABLE D.7 1% AND 5% CRITICAL DICKEY-FULLER $t(= \tau)$ AND F VALUES FOR UNIT ROOT TESTS

Sample size	t_{nc}^*		t_c^*		t_{ct}^*		F^\dagger		F^\ddagger	
	1%	5%	1%	5%	1%	5%	1%	5%	1%	5%
25	-2.66	-1.95	-3.75	-3.00	-4.38	-3.60	10.61	7.24	8.21	5.68
50	-2.62	-1.95	-3.58	-2.93	-4.15	-3.50	9.31	6.73	7.02	5.13
100	-2.60	-1.95	-3.51	-2.89	-4.04	-3.45	8.73	6.49	6.50	4.88
250	-2.58	-1.95	-3.46	-2.88	-3.99	-3.43	8.43	6.34	6.22	4.75
500	-2.58	-1.95	-3.44	-2.87	-3.98	-3.42	8.34	6.30	6.15	4.71
∞	-2.58	-1.95	-3.43	-2.86	-3.96	-3.41	8.27	6.25	6.09	4.68

*Subscripts nc, c, and ct denote, respectively, that there is no constant, a constant, and a constant and trend term in the regression (21.9.5).
 \dagger The critical F values are for the joint hypothesis that the constant and δ terms in (21.9.5) are simultaneously equal to zero.
 \ddagger The critical F values are for the joint hypothesis that the constant, trend, and δ terms in (21.9.5) are simultaneously equal to zero.

reg OC L1.OC, noconstant						
Source	SS	df	MS			
Model	384839.413	1	384839.413	Number of obs =	49	
Residual	217.880685	48	4.53918094	F(1, 48) =	84781.69	
Total	385057.293	49	7858.31211	Prob > F =	0.0000	
				R-squared =	0.9994	
				Adj R-squared =	0.9994	
				Root MSE =	2.1305	
OC	Coef.	Std. Err.	t	P> t	[95% Conf. Interval]	
OC L1.	1.044771	.0035881	291.17	0.000	1.037556	1.051985

reg OC t L1.OC						
Source	SS	df	MS			
Model	124987.867	2	62493.9333	Number of obs =	49	
Residual	187.950547	46	4.08588145	F(2, 46) =	15295.09	
Total	125175.817	48	2607.82952	Prob > F =	0.0000	
				R-squared =	0.9985	
				Adj R-squared =	0.9984	
				Root MSE =	2.0214	
OC	Coef.	Std. Err.	t	P> t	[95% Conf. Interval]	
t	.1409496	.0750684	1.88	0.067	-.0101552	.2920543
OC L1.	.9960063	.0217641	45.76	0.000	.9521975	1.039815
_cons	-276.7819	147.9335	-1.87	0.068	-574.5566	20.99285

v. DF using software

. dfuller OC, noconstant regress					
Dickey-Fuller test for unit root				Number of obs =	49
Test Statistic	1% Critical value	Interpolated Dickey-Fuller	5% Critical value	10% Critical value	
z(t)	12.477	-2.622	-1.950	-1.610	
D.OC	Coef.	Std. Err.	t	P> t	[95% Conf. Interval]
OC L1.	.0447709	.0035881	12.48	0.000	.0375564 .0519853

. dfuller OC, regress

Dickey-Fuller test for unit root Number of obs = **49**

	Test Statistic	————— 1% Critical Value	Interpolated Dickey-Fuller 5% Critical Value	————— 10% Critical Value
z(t)	5.814	-3.587	-2.933	-2.601

Mackinnon approximate p-value for z(t) = **1.0000**

D.OC	Coef.	Std. Err.	t	P> t	[95% Conf. Interval]	
OC L1.	.0353301	.0060768	5.81	0.000	.0231051	.0475551
_cons	.9788471	.5154645	1.90	0.064	-.0581337	2.015828

. dfuller OC, trend regress

Dickey-Fuller test for unit root Number of obs = **49**

	Test Statistic	————— 1% Critical Value	Interpolated Dickey-Fuller 5% Critical Value	————— 10% Critical Value
z(t)	-0.184	-4.159	-3.504	-3.182

Mackinnon approximate p-value for z(t) = **0.9918**

D.OC	Coef.	Std. Err.	t	P> t	[95% Conf. Interval]	
OC L1.	-.0039937	.0217641	-0.18	0.855	-.0478025	.0398151
_trend	.1409496	.0750684	1.88	0.067	-.0101552	.2920543
_cons	.1840203	.6567739	0.28	0.781	-1.137997	1.506038

vi. Phillips-Perron test for unit root

. pperron OC, noconstant regress

Phillips-Perron test for unit root Number of obs = **49**
Newey-west lags = **3**

	Test Statistic	Interpolated Dickey-Fuller		
		1% Critical Value	5% Critical value	10% Critical Value
z(rho)	2.191	-12.860	-7.684	-5.492
z(t)	11.501	-2.622	-1.950	-1.610

	OC	Coef.	Std. Err.	t	P> t	[95% Conf. Interval]
	OC L1.	1.044771	.0035881	291.17	0.000	1.037556 1.051985

. pperron OC, regress

Phillips-Perron test for unit root Number of obs = **49**
Newey-west lags = **3**

	Test Statistic	Interpolated Dickey-Fuller		
		1% Critical Value	5% Critical value	10% Critical Value
z(rho)	1.729	-18.832	-13.268	-10.680
z(t)	5.693	-3.587	-2.933	-2.601

Mackinnon approximate p-value for z(t) = **1.0000**

	OC	Coef.	Std. Err.	t	P> t	[95% Conf. Interval]
	OC L1.	1.03533	.0060768	170.37	0.000	1.023105 1.047555
	_cons	.9788471	.5154645	1.90	0.064	-.0581337 2.015828

```
. pperron OC, trend regress
```

Phillips-Perron test for unit root Number of obs = **49**
Newey-west lags = **3**

	Test Statistic	Interpolated Dickey-Fuller		
		1% Critical Value	5% Critical Value	10% Critical Value
z(rho)	-0.181	-25.572	-19.724	-16.752
z(t)	-0.172	-4.159	-3.504	-3.182

Mackinnon approximate p-value for z(t) = **0.9920**

OC	Coef.	Std. Err.	t	P> t	[95% Conf. Interval]	
OC						
L1.	.9960063	.0217641	45.76	0.000	.9521975	1.039815
_trend	.1409496	.0750684	1.88	0.067	-.0101552	.2920543
_cons	.1840203	.6567739	0.28	0.781	-1.137997	1.506038

vii. Augmented Dickey-Fuller (ADF) test

```
. dfuller OC, noconstant regress lags(5)
```

Augmented Dickey-Fuller test for unit root Number of obs = **44**

	Test Statistic	Interpolated Dickey-Fuller		
		1% Critical Value	5% Critical Value	10% Critical Value
z(t)	2.053	-2.630	-1.950	-1.608

D.OC	Coef.	Std. Err.	t	P> t	[95% Conf. Interval]	
OC						
L1.	.0379253	.0184745	2.05	0.047	.0005256	.075325
LD.	.1913583	.1700517	1.13	0.268	-.1528934	.53561
L2D.	-.1835111	.1909217	-0.96	0.343	-.5700119	.2029897
L3D.	.2074853	.1967523	1.05	0.298	-.1908188	.6057895
L4D.	-.0291233	.198624	-0.15	0.884	-.4312165	.3729699
L5D.	-.0247098	.208248	-0.12	0.906	-.4462859	.3968662